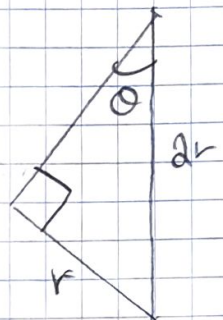
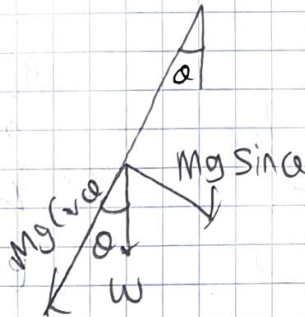
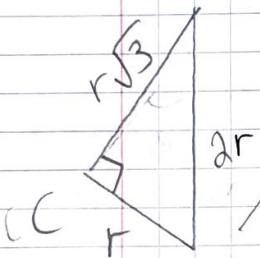
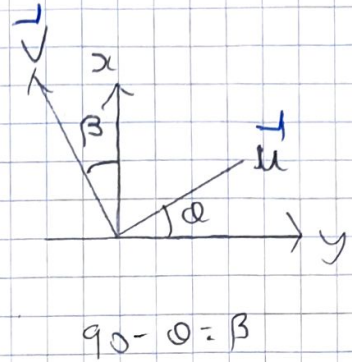
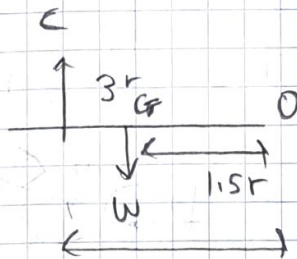
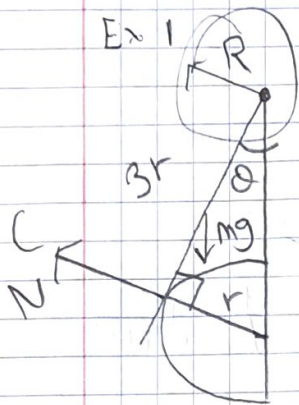


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Mechanics Exam



$\sin \alpha = \frac{r}{2r} = \frac{1}{2}$

II

a Take moment ab O \rightarrow G being centre of mass
 $N \times OC = W \times OG$

Sum of ~~at~~ clockwise moments = sum of anticlockwise moments

The contact force = N

$$N \times \sqrt{3} r = Mg \sin \alpha \times \frac{3r}{2}$$

$$N \times \sqrt{3} r = Mg \times \frac{1}{2} \times \frac{3r}{2}$$

$$N \times \sqrt{3} r = \frac{3Mg r}{4}$$

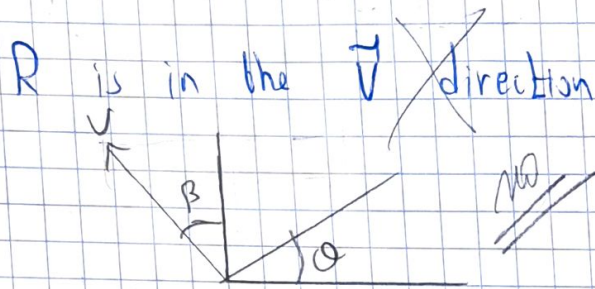
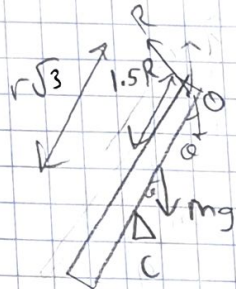
$$N = \frac{3Mg}{4\sqrt{3}}$$

$$= \frac{\sqrt{3} Mg}{4}$$

III

3. Now, to get R , we take pivot at C. Being in static equilibrium, the slender rod ~~is~~, the torque is zero, so we can write again

Sum of clockwise moments = sum of anti-clockwise moments.



(1)

Distance of weight from pivot = $r\sqrt{3} - 1.5r$
 Thus, $Mg \sin \alpha (r\sqrt{3} - 1.5r) = R \times r\sqrt{3}$

$$R = \frac{Mg \sin \alpha}{2} \frac{(r\sqrt{3} - 1.5r)}{r\sqrt{3}}$$

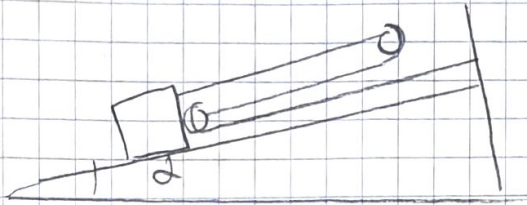
~~$$R = \frac{Mg}{2} \left(1 - \frac{3r}{2} \right)$$~~

$$R = \frac{Mg}{2} \left(1 - \frac{\sqrt{3}}{2} \right)$$

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Mechanics

Exa



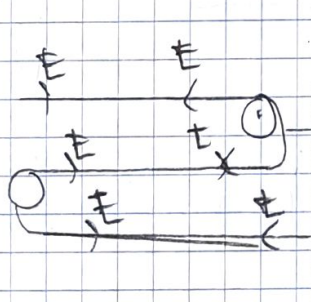
Consider the simple Model.



if in equilibrium, the tension in the cords are equal.

Now, if we have a system of 3 pulleys, & in static condition, the tension in the 3 ropes will be the same. So

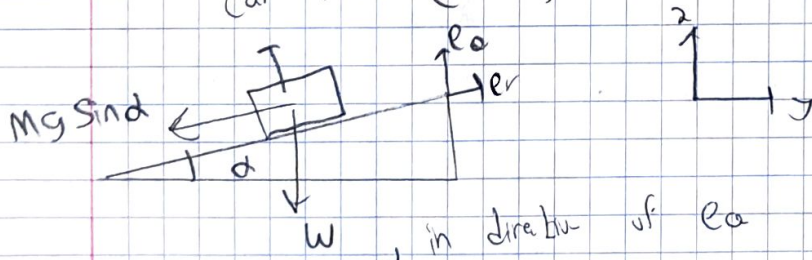
very good!



Total tension

so, the force which man has to supply is divided by 3.

So, the force applied by man, $P_s = 3T$ $T = \frac{P_s}{3}$



$W + T = 0$

$-(M+m)g \sin \alpha + T = 0$

$-(M+m)g \sin \alpha + 3P_s = 0$

$P_s = \frac{(M+m)g \sin \alpha}{3}$

$T = \frac{P_s}{3}$

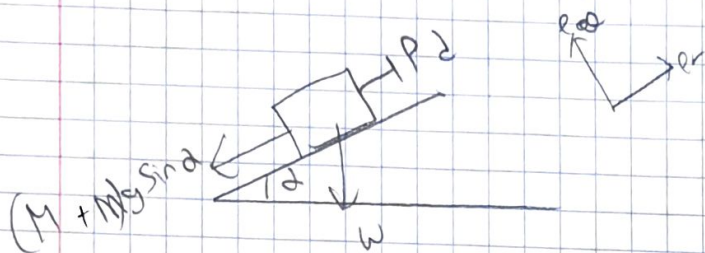
$T = \frac{(M+m)g \sin \alpha}{9}$

III

III

So, this result ~~pro~~ serves to prove that the force ~~is~~ that the man requires to supply is 3 times less.

Q Since it is no longer static,



The cart moving up the plane, there is a net resultant force up of the incline plane.

$$Pg - (M+m)g \sin \alpha = (M+m)a \hat{e}_r$$

The resultant force is in the \hat{e}_r direction.

$$\frac{Pg - (M+m)g \sin \alpha}{M+m} = a$$

The acceleration being constant, we can use the equations of motion to find the time to climb up the incline plane.

we will use, $S = ut + \frac{1}{2}at^2$

where $S = D$, $u = 0$
since initially the system is static

a , the result from the previous question.

$$S = ut + \frac{1}{2}at^2$$

$$\frac{2S}{a} = t^2$$

$$t^2 = \frac{2D(M+m)}{Pg - (M+m)g \sin \alpha}$$

$$t = \sqrt{\frac{2D(M+m)}{Pg - (M+m)g \sin \alpha}}$$

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Mechanics

Ex 2

3.

Energy	Initial	Final
K.E	0	$\frac{1}{2}mV^2$
P.E	0	mgh

~~The height moved by the man~~



$$\text{Work done} = \text{Force} \times \text{distance}$$

$$= Ma_2 \times D$$

$$= (M+m) \left(\frac{Pg - (M+m)g\sin d}{M+m} \right) D$$

$$= (Pg - (M+m)g\sin d) D$$



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Mechanics Ex 3

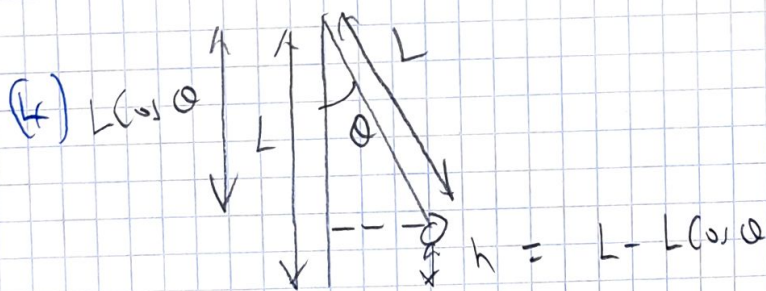
(1) The crawler moving with constant speed, the ball possesses the same speed.

(ii) Then the resultant force on the ball is zero.
Then $\omega = 0$

(2) The angle between $\omega = 0$ & ω being 0, there is no work done by the ball since it is considered to be static.



(3) The ball moving also with speed U ,
the K.E of ball = $\frac{1}{2} m U^2$



(iii)

Energy	$\theta = 0$	$\theta = \text{max}$
K.E	$\frac{1}{2} m U^2$	0
P.E	0	$m g (L - L \cos \theta)$

Using Conservation of energy

$$P.E = K.E$$

$$mg(L - L\cos\theta) = \frac{1}{2}mv^2$$

$$L - L\cos\theta = \frac{v^2}{2g}$$

$$L\cos\theta = L - \frac{v^2}{2g}$$

$$\cos\theta = 1 - \frac{v^2}{2gL}$$



~~Q~~

$$\theta_{\text{max}} = \arccos \left[1 - \frac{v^2}{2gL} \right]$$