

PHYSICS – MECHANICS

SCAN 61-62

Exercise 1 – Statics

The uniform slender bar of length  $3r$  and mass  $m$  rests against the circular wall as shown in Figure 1. Static equilibrium is assumed and friction is neglected.

- 1 – Introduce all the relevant coordinate systems and parameters.
- 2 – Determine the contact force at point C in terms of  $m, g$  and geometrical parameters
- 3 – Determine the reaction force at the pivot at point O in terms of  $m, g$  and geometrical parameters.

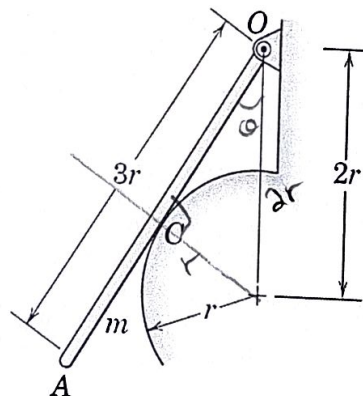


Figure 1.

Exercise 2 – Miscellaneous topics...:

Consider the man of mass  $m$  in a cart of mass  $M$  on an incline as shown in Figure 2. In what follows, all friction and the mass of the rope and pulleys are neglected.

- 1 – Assuming static equilibrium, what is the pull  $P_s$  exerted by the man on the rope? Explain the interest of the pulley system in reducing the force needed for equilibrium.
- 2 – The man now exerts a pull  $P_d$  (larger than  $P_s$ ), determine the acceleration of the cart and deduce the time needed to climb a distance  $D$  from the position of static equilibrium along the incline.

3 – Determine the work generated by all the external forces on the system cart + man when it moves a distance  $D$  from the position of static equilibrium along the incline.

$$W.D = (P_y - (M+m)g \sin \alpha) D$$

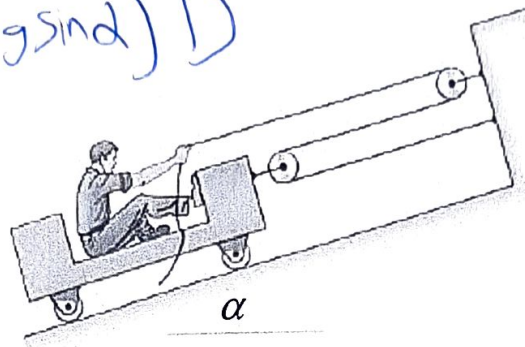


Figure 2.

### Exercise 3 – Energy – Work:

The crawler-wrecking crane in Figure 3 is moving at constant speed  $v$  when it is suddenly brought to a stop. The objective of this exercise is to determine the maximum angle  $\theta_{MAX}$  through which the wrecking ball swings.

- 1 – What is the value of angle  $\theta$  when the system moves at constant speed? Precise justifications are required.
- 2 – Isolate the ball (mass  $m$ ) and determine the work of the external forces between  $\theta = 0$  and a position defined by angle  $\theta$  as shown in the figure.
- 3 – Apply the Kinetic Energy Theorem to the isolated ball.
- 4 – Deduce the maximum angle of oscillation  $\theta_{MAX}$  reached after the sudden stop.

$$F = Mg \downarrow$$

$$W = F \cdot D$$

$$= 0$$

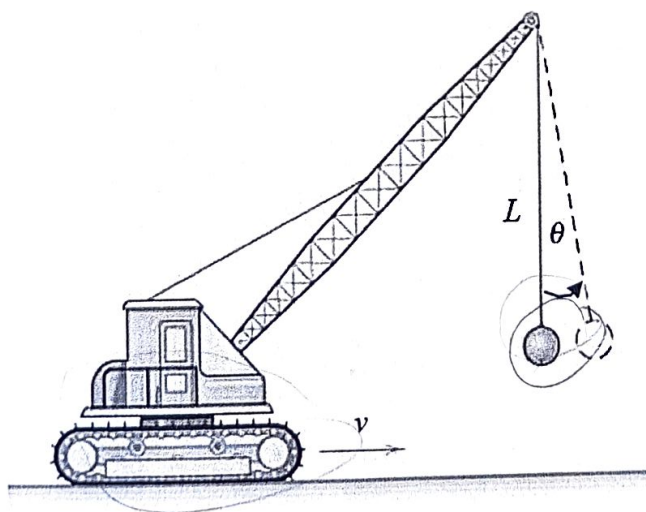


Figure 3.